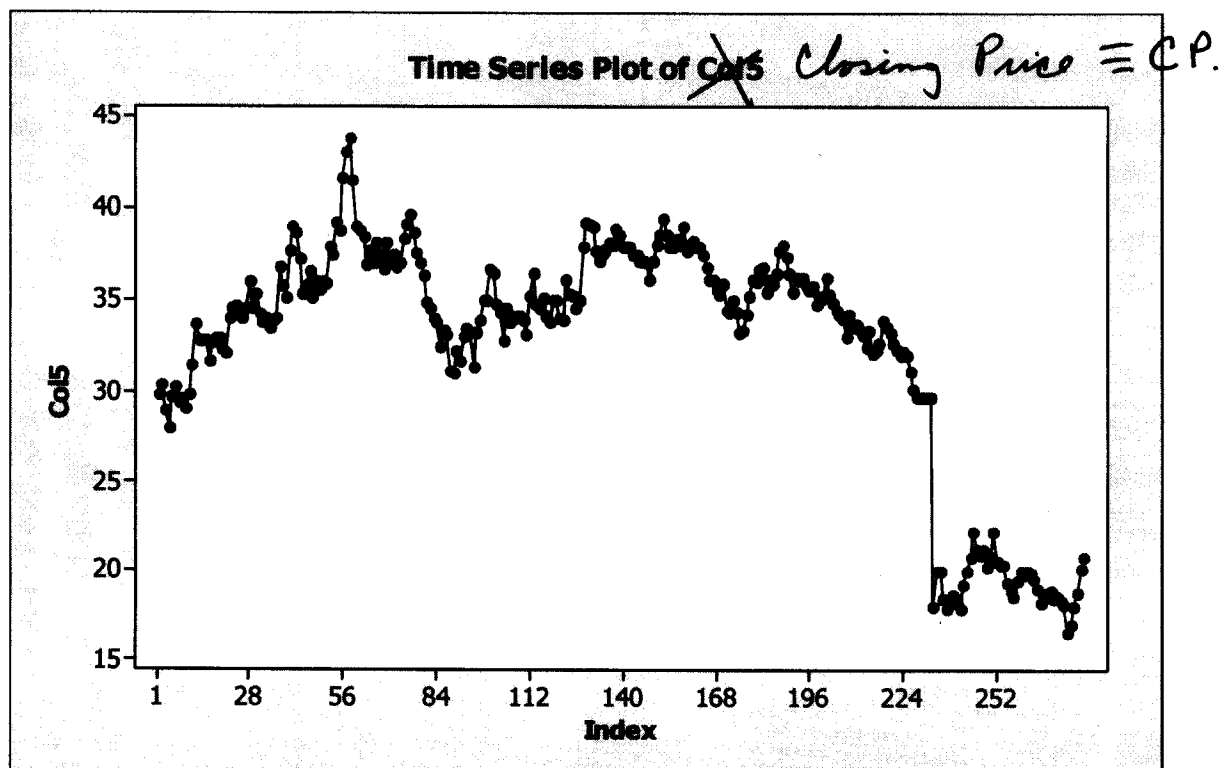


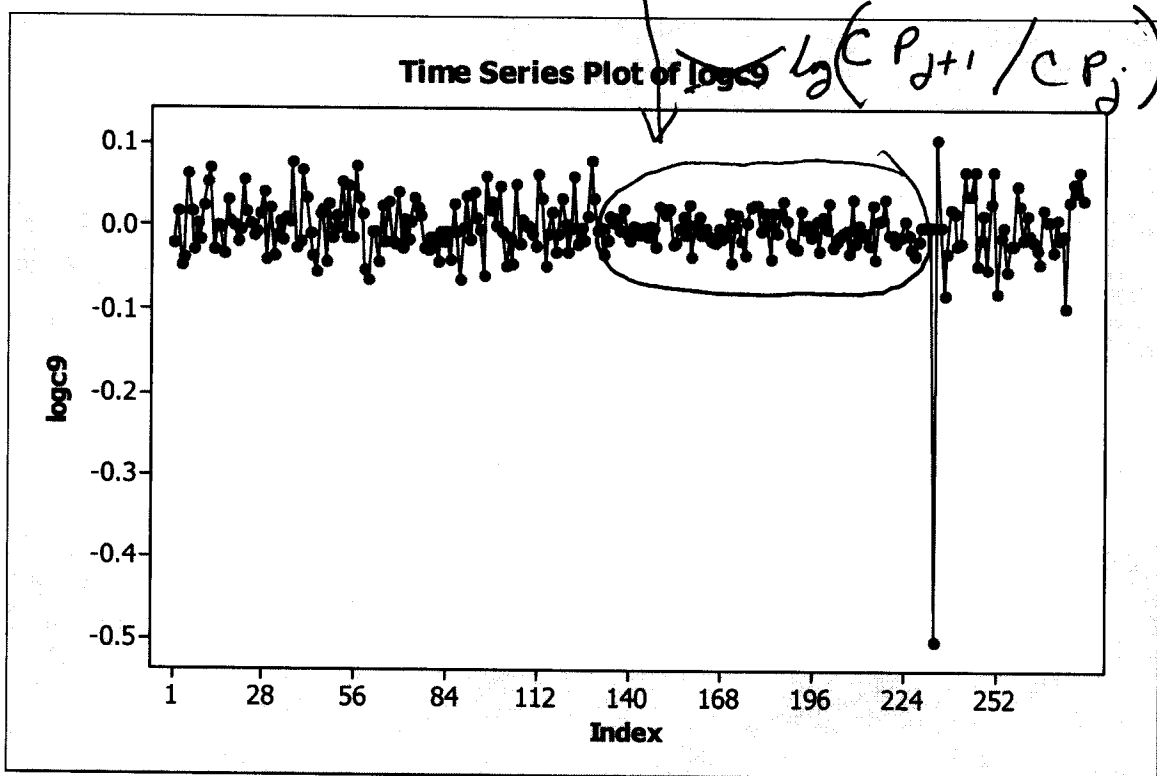
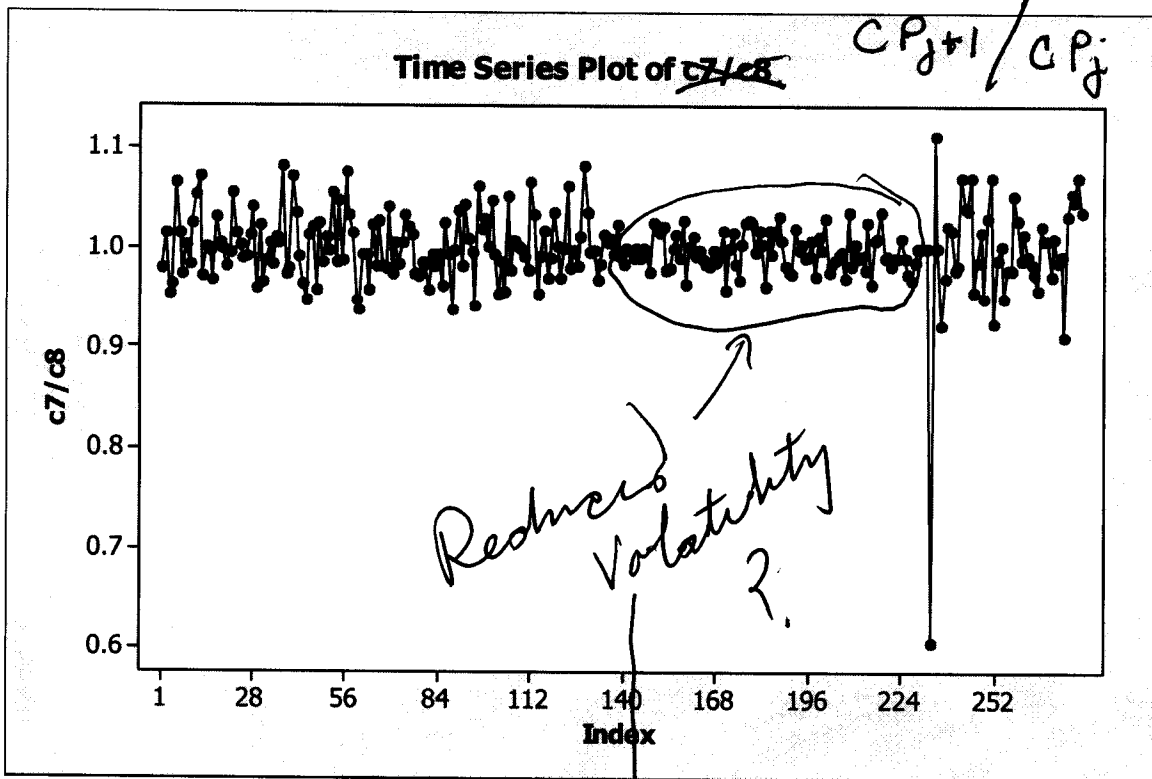
MTB > info

### Information on the Worksheet

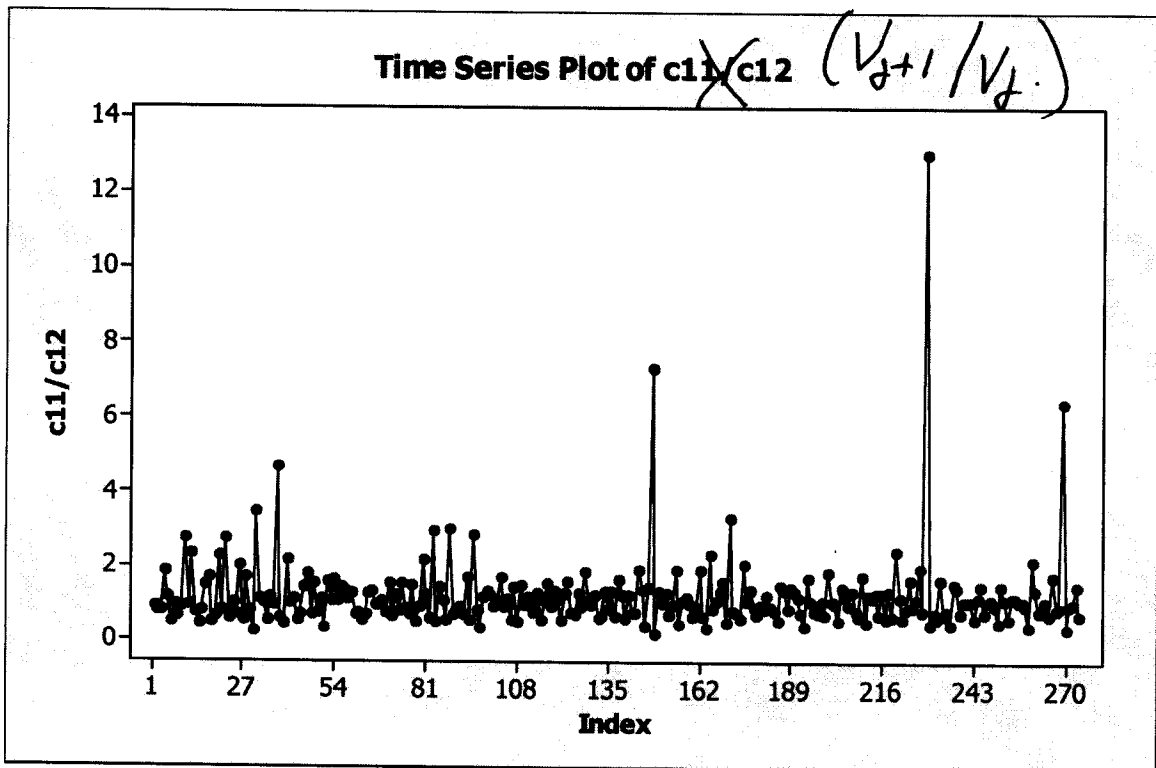
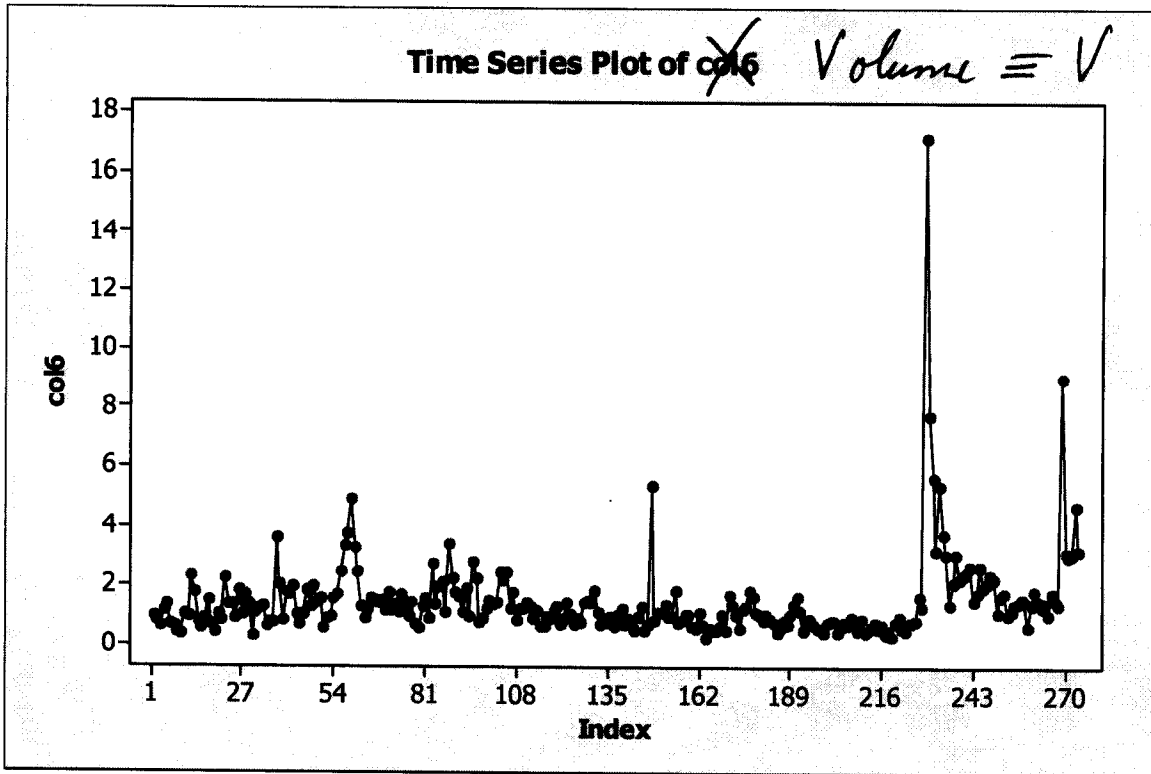
	Column	Count	Missing	Name
D	C1	279	0	date
	C2	279	0	open
	C3	279	0	high
	C4	279	0	low
	C5	279	0	close
	C6	279	4	volume
	C7	278	0	Col5 (Closing Price Days 2-279)
	C8	278	0	Col5Also (Closing Price Days 1-278)
	C9	278	0	c7/c8 (Price day i/Price day i-1)
	C10	278	0	logc9 (log(Price day i/Price day i-1))
	C11	274	0	col6 (Vol Days2-279 wo days NYSE closed)
	C12	274	0	col6Also (Vol Days1-278 wo days NYSE closed)
	C13	274	0	c11/c12 (Vol day i/Vol day i-1)
	C14	274	0	logc13 (log(Vol day i/Vol day i-1))

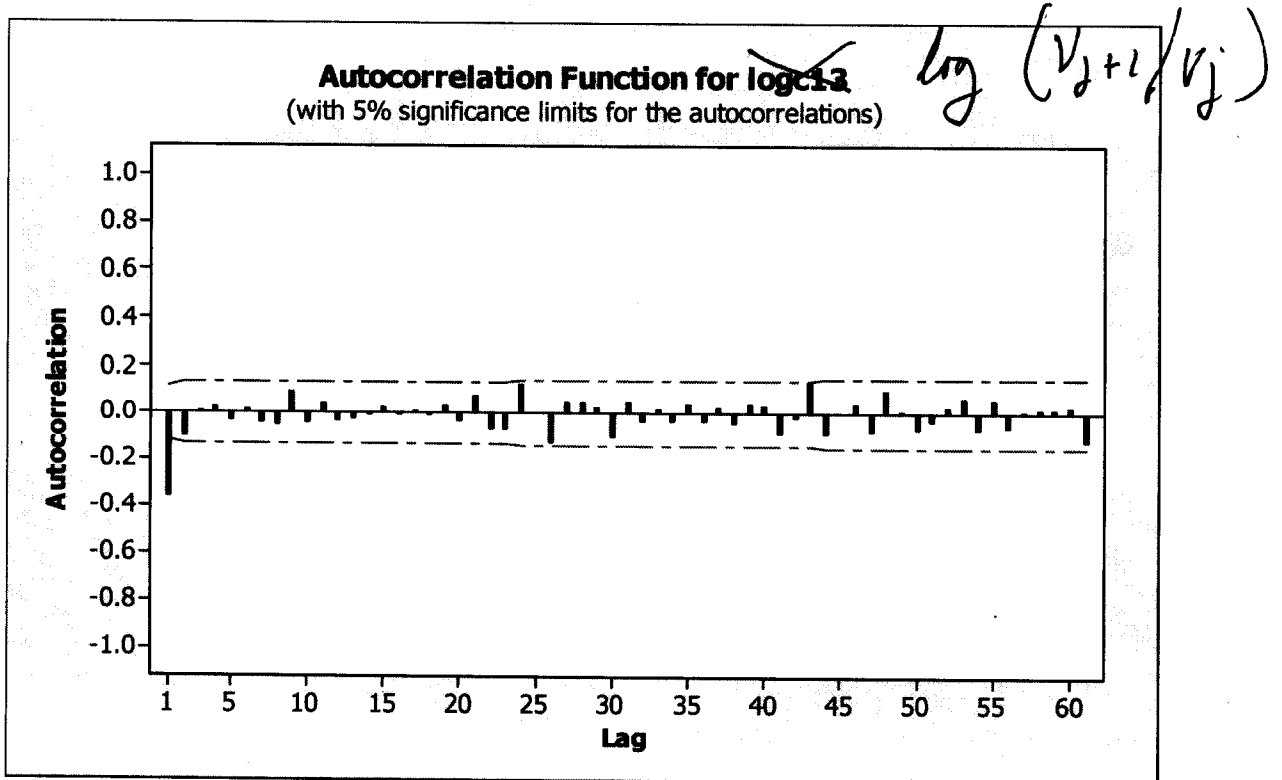
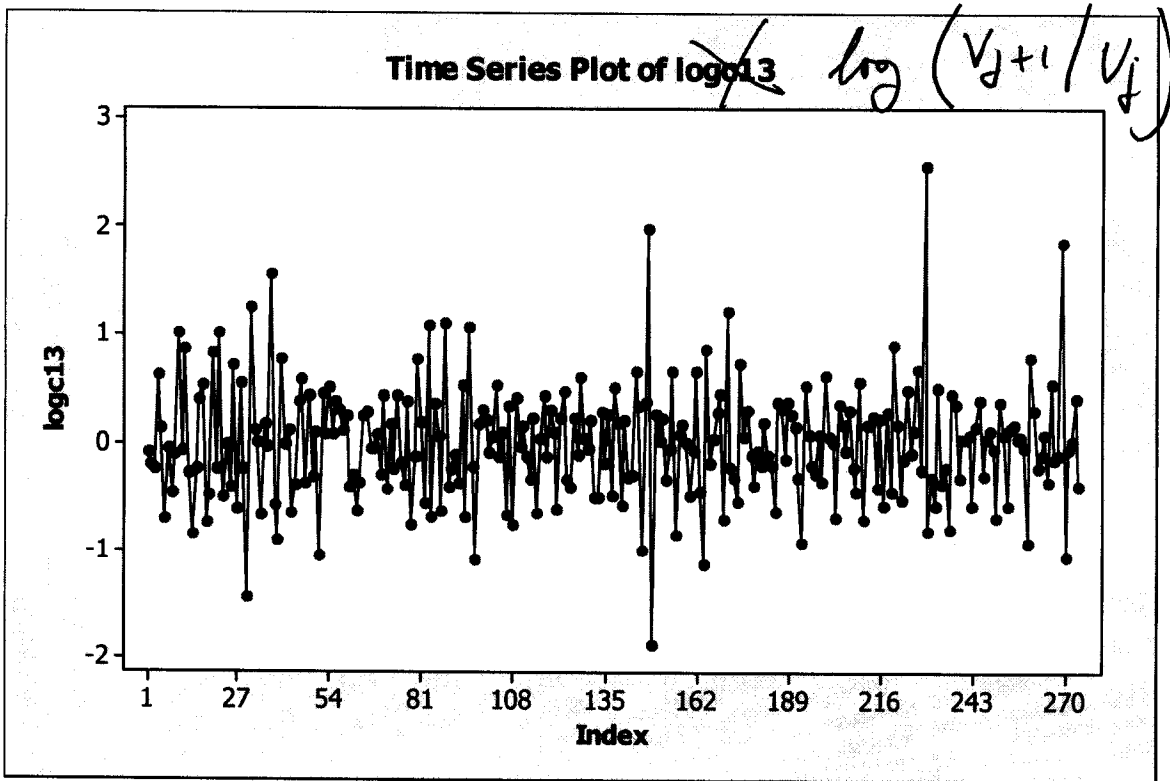
### 1. Modeling Price at Close (Closing Price)





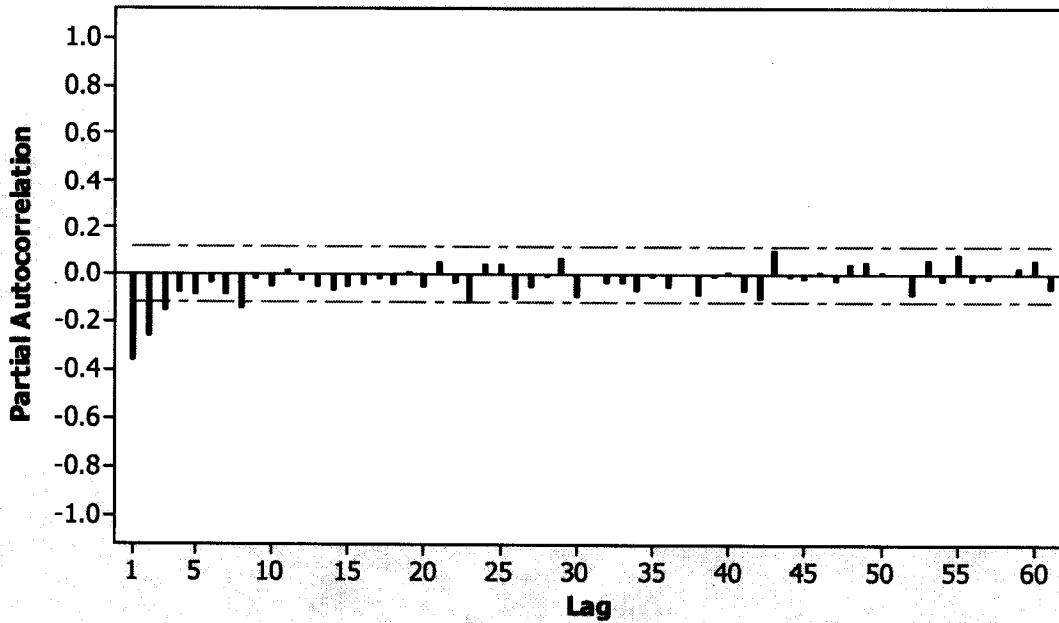
2. Modeling Volume



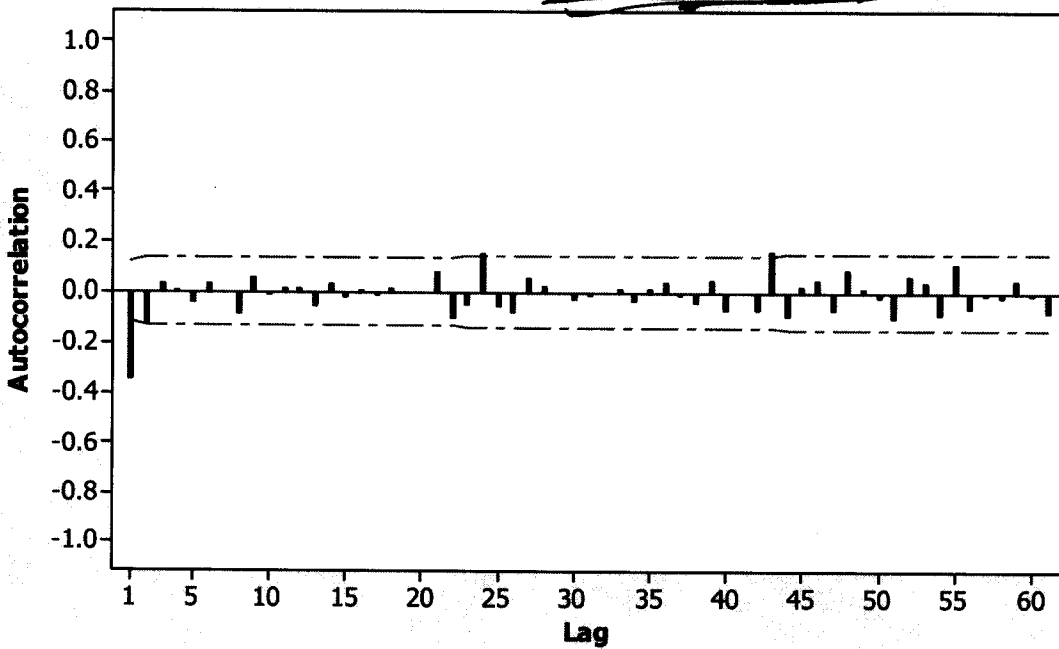


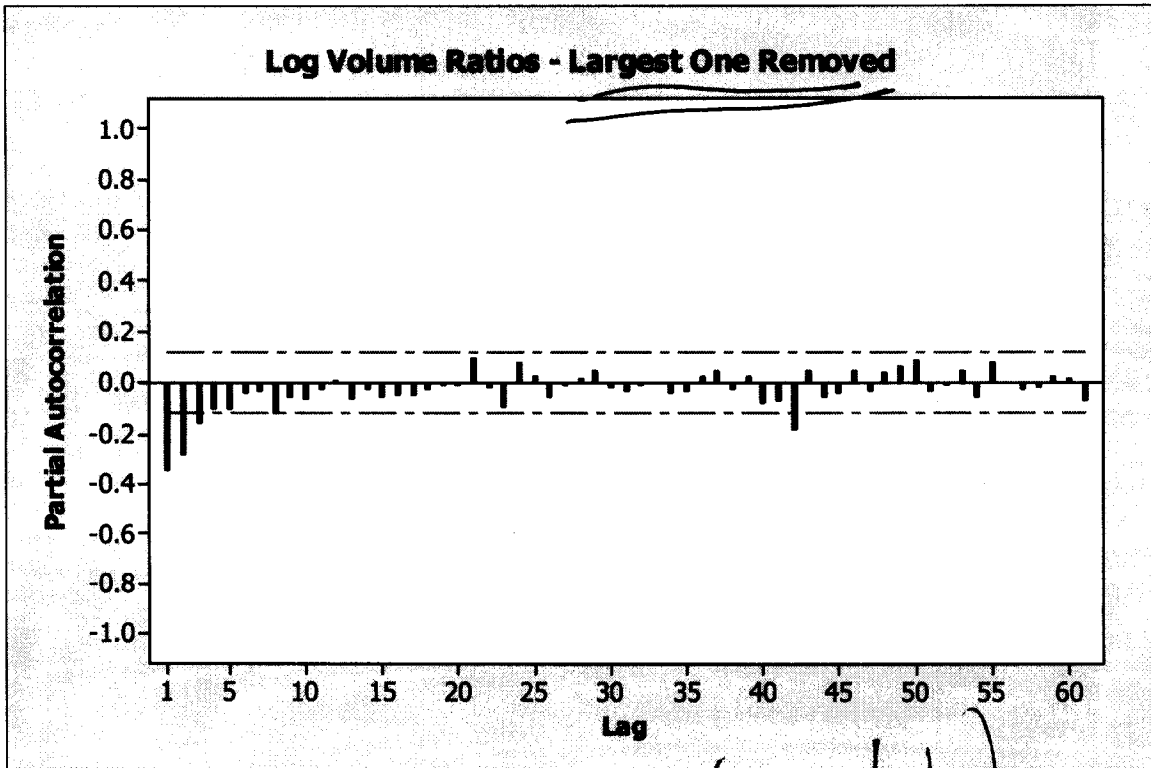
**Partial Autocorrelation Function for ~~logs13~~**  
(with 5% significance limits for the partial autocorrelations)

$\log(V_{t+1}/V_t)$



**Log Volume Ratios - Removed Largest One**





ACF  
 + PACF of  $\log(V_{t+1}/V_t)$   
 suggest  
 model for  $MA(1)$

$\log(V_{t+1}/V_t)$

(If I remember my time  
 series derivatives correctly)  
 or an  $IMA(1)$  for  $\log V_{t+1}$

## Fit a MA(1) Model to Log Volume Ratio with Largest Log Volume Ratio Removed

### ARIMA Model: logc13

Estimates at each iteration

Iteration	SSE	Parameters	
0	69.8447	0.100	0.095
1	61.9638	0.250	0.031
2	57.7496	0.400	0.002
3	55.6022	0.550	-0.006
4	55.2756	0.604	-0.005
5	55.2294	0.624	-0.005
6	55.2222	0.631	-0.005
7	55.2210	0.634	-0.005
8	55.2208	0.635	-0.005
9	55.2207	0.636	-0.005

Relative change in each estimate less than 0.0010

Final Estimates of Parameters

Type	Coef	SE Coef	T	P
MA 1	0.6359	0.0470	13.54	0.000
Constant	-0.004836	0.009970	-0.49	0.628
Mean	-0.004836	0.009970		

$$\hat{\theta} = 0.635910$$
$$\hat{\mu} = 0$$

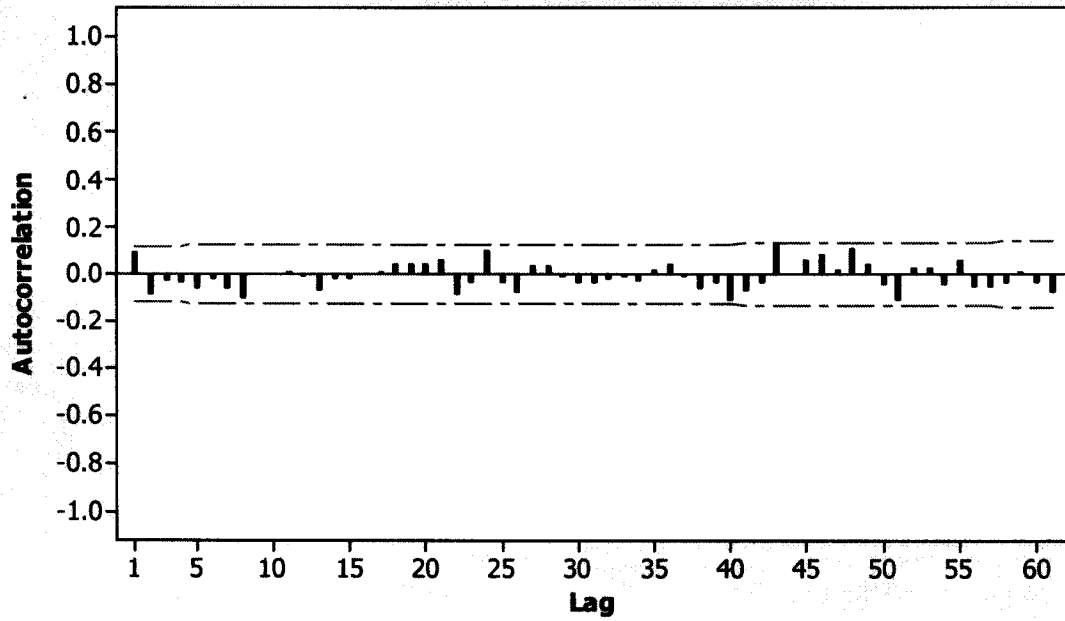
Number of observations: 273

Residuals: SS = 55.2076 (backforecasts excluded)  
MS = 0.2037 DF = 271

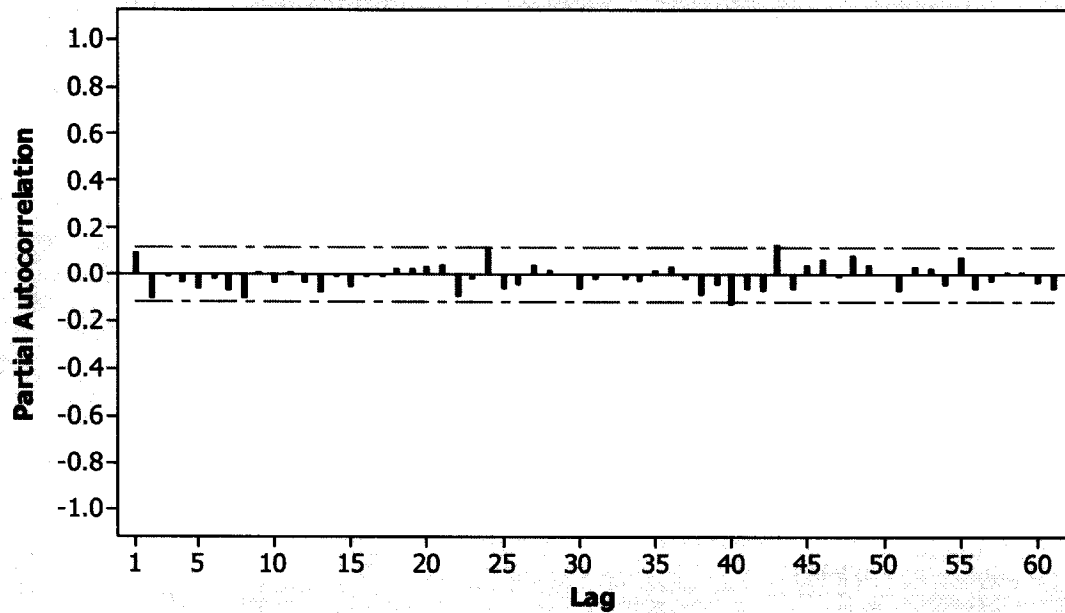
Modified Box-Pierce (Ljung-Box) Chi-Square statistic

Lag	12	24	36	48
Chi-Square	10.0	19.5	24.1	44.3
DF	10	22	34	46
P-Value	0.442	0.613	0.896	0.545

**ACF of Residuals for logc13**  
(with 5% significance limits for the autocorrelations)

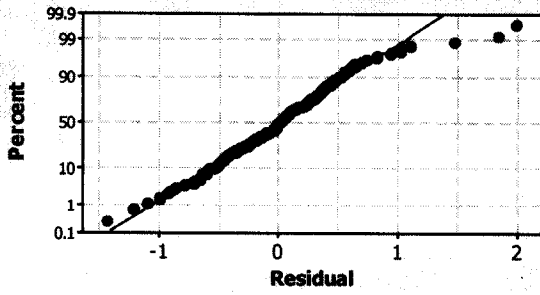


**PACF of Residuals for logc13**  
(with 5% significance limits for the partial autocorrelations)

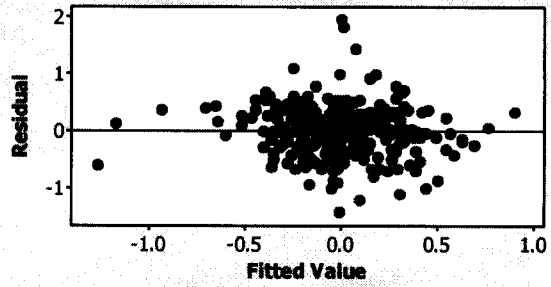


### Residual Plots for logc13

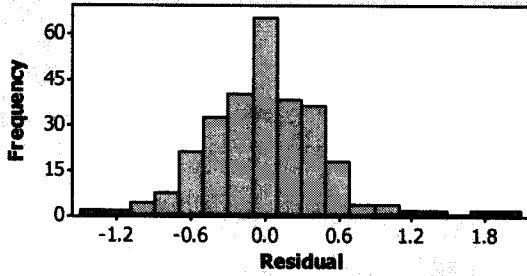
Normal Probability Plot of the Residuals



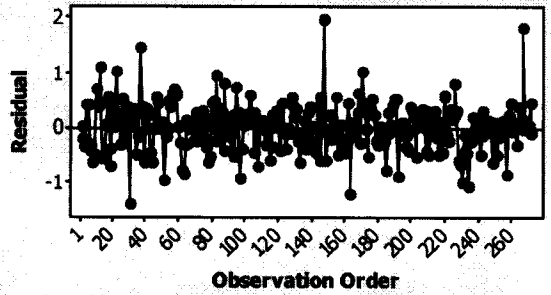
Residuals Versus the Fitted Values



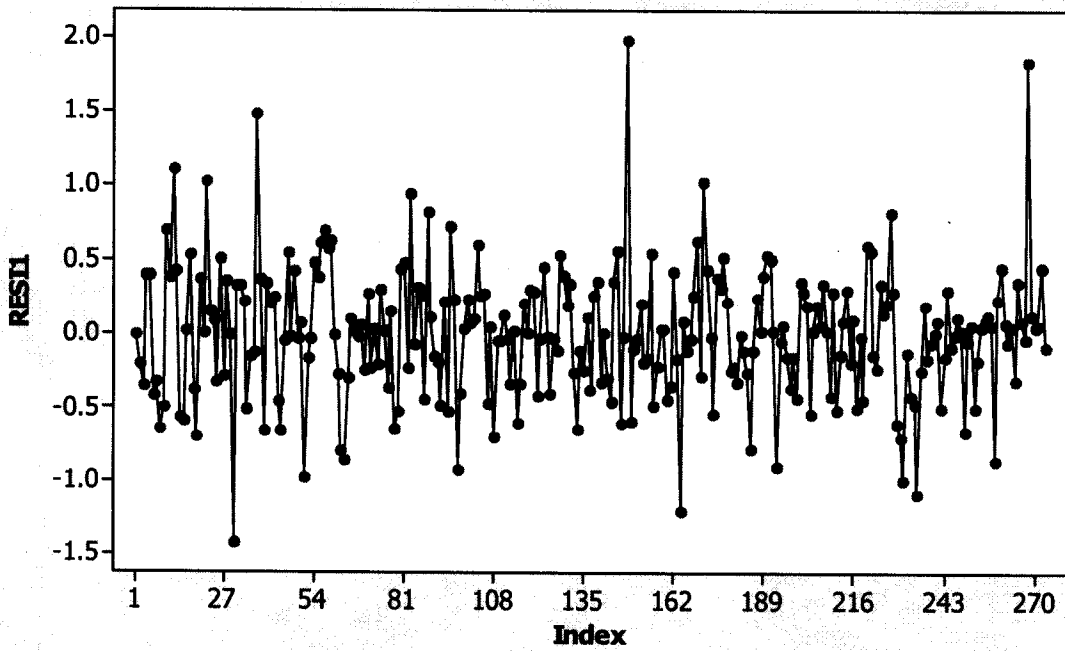
Histogram of the Residuals



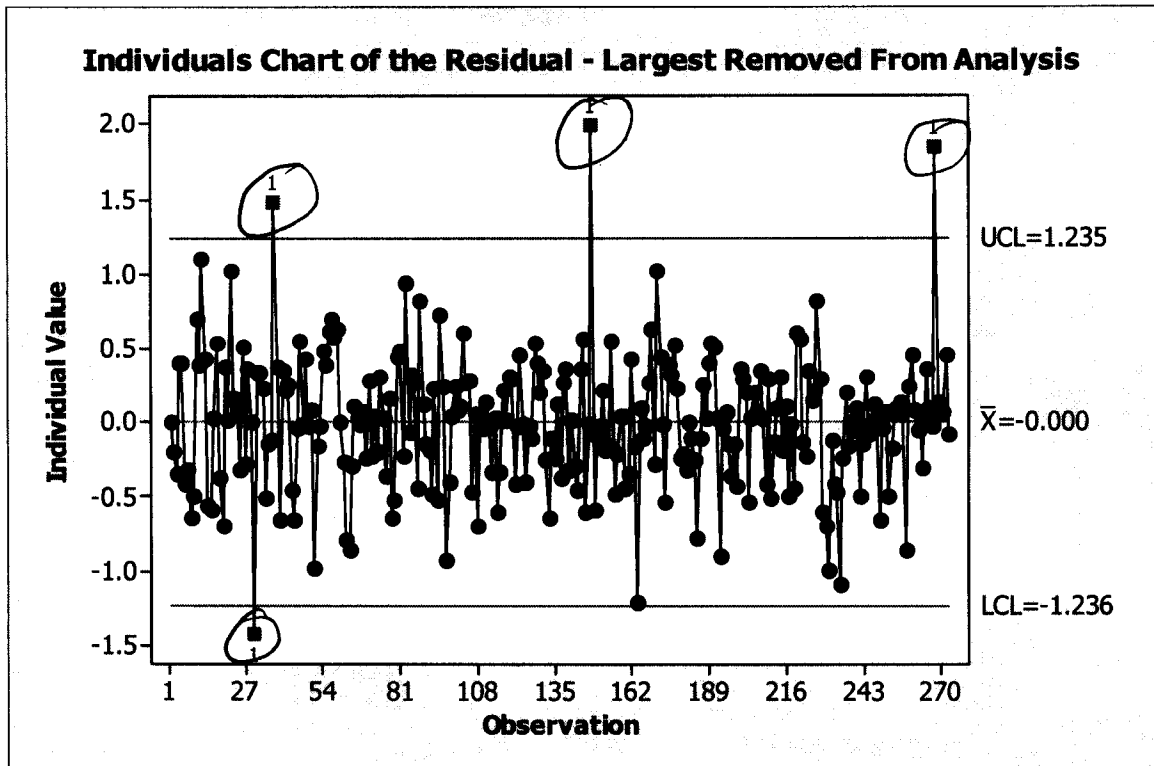
Residuals Versus the Order of the Data



### Time Series Plot of RESI1



Since Residuals are white noise for an MA(1) an I-chart could be used to determine outliers



Estimated Residual for the Largest log Vol Ratio 2.56986 is (from (5) on MA(1) on David's Handout) 2.56986-Forecast Estimate where the forecast estimate (FE) is

$$\mu - \theta e_{t-1} \quad \text{where } \mu \text{ is estimated by } 0 \text{ and } \theta \text{ by } 0.635910$$

and

$$e_t = \sum_{j=0}^{\infty} \theta^j (Y_{t-j} - \mu)$$

That is, here

$$FE(t) = -\theta e_{t-1} = -\sum_{j=0}^{\infty} \theta^{j+1} Y_{t-j-1} = -0.176332$$

So the estimated residual for the largest Volume Ratio is  $2.56986 + 0.176332 = 2.746192$ . Note that this would be way above the upper control limit in our Individuals control chart above.